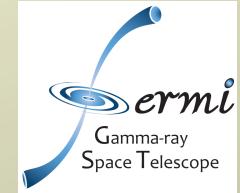


Computational Methods for Kinetic Processes in Plasma Physics



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Main program 3

Main program (continued)

```
c ****
c this subroutine is used in 3D version to sort particles that leave a processor
c domain boundaries in all three directions; thus "iparL" stands for number
c of particles leaving Left, Front, and Bottom boundary,
c and "iparR" for Right, Rear, and Top boundary --> subroutine parameters
c (identification of x,y,z and CRx,CRy,CRz etc. and boundaries) must be changed
c accordingly upon calling
c this method saves number of particle communication buffers (26-->12)
```

```
subroutine Particle_sorting(iparR,iparL,ipar,mpass,mh,PBDL,PBDR,
&                           CRx,CRy,CRz,CRu,CRv,CRw,
&                           CLx,CLy,CLz,CLu,CLv,CLw,
&                           x,y,z,u,v,w)
```

```
dimension CRx/mpass),CRy/mpass),CRz/mpass)
dimension CRu/mpass),CRv/mpass),CRw/mpass)
dimension CLx/mpass),CLy/mpass),CLz/mpass)
dimension CLu/mpass),CLv/mpass),CLw/mpass)
```

```
dimension x(mh),y(mh),z(mh)
dimension u(mh),v(mh),w(mh)
```

```
iparR=0
```

```
iparL=0
```

```
if(ipar.eq.0)return
```

```
k=0
```

```
130      k=k+1
```

```
      if (x(k).ge.PBDR) then
```

```
      iparR=iparR+1
```

```
      CRx(iparR)=x(k)
```

```
      CRy(iparR)=y(k)
```

```
      CRz(iparR)=z(k)
```

```
      CRu(iparR)=u(k)
```

```
      CRv(iparR)=v(k)
```

```
      CRw(iparR)=w(k)
```

c replaced with particle from the top of the stock

x(k)=x(ipar)

y(k)=y(ipar)

z(k)=z(ipar)

u(k)=u(ipar)

v(k)=v(ipar)

w(k)=w(ipar)

ipar=ipar-1

k=k-1

if (k.lt.ipar) goto 130

end if

if (k.eq.0) return

if (x(k).lt.PBDL) then

iparL=iparL+1

CLx(iparL)=x(k)

CLy(iparL)=y(k)

CLz(iparL)=z(k)

```
CLu(iparL)=u(k)
CLv(iparL)=v(k)
CLw(iparL)=w(k)
```

```
x(k)=x(ipar)
y(k)=y(ipar)
z(k)=z(ipar)
```

```
u(k)=u(ipar)
v(k)=v(ipar)
w(k)=w(ipar)
ipar=ipar-1
k=k-1
end if
```

```
if (k.lt.ipar) goto 130
```

```
c!!    print *, ipar,iparL,iparL,cRx(1),CLz(2)
```

```
return
end
```

```
c ****
c clears E-field in ghost cells
c ** contributions to the electric field in ghost cells from the subsequent **
c ** current deposition ("split" subroutines) are passed and added to      **
c ** the corresponding E-field elements at neighboring processors          **
c ** ("E_Field_Passing_Add" subroutine)                                     **
```

```
subroutine Clear_ghost(ex,ey,ez,mFx,mFy,mFz,dims,coords,
&                      FBDRx,FBDRy,FBDRz,FBDLx,FBDLy,FBDLz)
```

```
integer dims(3),coords(3)
integer FBDRx,FBDRy,FBDRz
integer FBDLx,FBDLy,FBDLz
```

```
dimension ex(mFx,mFy,mFz),ey(mFx,mFy,mFz),ez(mFx,mFy,mFz)
```

```
c all ghost cells (except as below) are cleared, since particles at the
c boundaries deposit currents to all guard cells
```

```
c clear Left and Right ghost cells (except in leftmost and rightmost domains)
if(coords(1).ne.0)then
do k = 1,mFz
do j = 1,mFy
  do i = FBDLx-2,FBDLx-1
    ex(i,j,k)=0.0
    ey(i,j,k)=0.0
    ez(i,j,k)=0.0
  end do
end do
end do
end if
```

```
if(coords(1).ne.(dims(1)-1))then
do k = 1,mFz
do j = 1,mFy
  do i = FBDRx+1,FBDRx+3
    ex(i,j,k)=0.0
    ey(i,j,k)=0.0
    ez(i,j,k)=0.0
```

```
    end do  
    end do  
end do  
end if
```

c clear Front and Rear ghost cells

```
do k = 1,mFz  
  do i = 1,mFx  
    do j = FBDLy-2,FBDLy-1  
      ex(i,j,k)=0.0  
      ey(i,j,k)=0.0  
      ez(i,j,k)=0.0  
    end do  
  end do  
end do
```

```
do k = 1,mFz
do i = 1,mFx
    do j = FBDRy+1,FBDRy+3
        ex(i,j,k)=0.0
        ey(i,j,k)=0.0
        ez(i,j,k)=0.0
    end do
end do
end do
```

c clear Bottom and Top ghost cells

```
do j = 1,mFy
do i = 1,mFx
    do k = FBBLz-2,FBBLz-1
        ex(i,j,k)=0.0
        ey(i,j,k)=0.0
        ez(i,j,k)=0.0
    end do
end do
end do
```

```
do j = 1,mFy
  do i = 1,mFx
    do k = FBDRz+1,FBDRz+3
      ex(i,j,k)=0.0
      ey(i,j,k)=0.0
      ez(i,j,k)=0.0
    end do
  end do
end do
```

```
return
end
```

```

c ****
c subroutine Split_JET(ipar,x,y,z,u,v,w,mh,dex,dey,dez,
& mFx,mFy,mFz,my,mz,q,DHDx,DHDy,DHDz,dt)

dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)
dimension x(mh),y(mh),z(mh)
dimension u(mh),v(mh),w(mh)

k=0
50 k=k+1
c previous particle position
  x0=x(k)-u(k)*dt
  y0=y(k)-v(k)*dt
  z0=z(k)-w(k)*dt

c make particles which are out of the box (3,my-2)*(3,mz-2)
c periodic in transverse dimensions with period my-5 (mz-5)
c ** in 3D version particles that were out of the virtual box transverse   **
c ** boundaries have been already passed to processes according to the   **
c ** periodic boundary conditions; here only their proper y and z-positions **
c ** in the new domain are calculated (e.g. y(k)=83.5 --> y(k)=3.5 (my=85)) **

```

cJET only periodicity applied

per = sign(.5*(my-5.),y(k)-3.) + sign(.5*(my-5.),y(k)-my+2.)

y(k) = y(k)-per

y0 = y0 -per

per = sign(.5*(mz-5.),z(k)-3.) + sign(.5*(mz-5.),z(k)-mz+2.)

z(k) = z(k)-per

z0 = z0 -per

cU1 call depositUM2(x(k),y(k),z(k),x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,

cU1 & q,DHDx,DHDy,DHDz)

call depositUM1(x(k),y(k),z(k),x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,

& q,DHDx,DHDy,DHDz)

53 if (k.lt.ipar) goto 50

return

end

```
c ****
subroutine Split_Ambient(ipar,x,y,z,u,v,w,mh,dex,dey,dez,
& mFx,mFy,mFz,mx,my,mz,q,DHDx,DHDy,DHDz,
& PVLeft,PVRght,PBFront,PBRear,PBBottom,PBTop,
& vthml,c,dt,refl,eloss,mass,is)
```

real mass

```
dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)
dimension x(mh),y(mh),z(mh)
dimension u(mh),v(mh),w(mh)
```

pi = 4*atan(1.0d0)

```
c variance of Maxwell distribution for individual velocity components
sig = vthml/sqrt(2.)
```

k=0

50 k=k+1

c previous particle position needed for current deposition
x0=x(k)-u(k)*dt
y0=y(k)-v(k)*dt
z0=z(k)-w(k)*dt

c4push
xini=x(k)
reflect=0.0

c particles outside the box (3,mx-2) are reflected or eliminated from the
c simulations
c !!! now the boundaries are (PVLeft,PVRght) !!!
c ** only coords(1)=0 and coords(1)=Npx-1 processors calculate this part **
c if (x(k).ge.3. .and. x(k).lt.mx-2.) goto 51
if (x(k).ge.PVLeft .and. x(k).lt.PVRght) goto 51

c which boundary has been crossed?
c x(k)=amin1(amax1(x(k),3.),mx-2.000001)
x(k)=amin1(amax1(x(k),PVLeft),PVRght-0.000001)
c time at boundary crossing
tx=(x(k)-x0)/u(k)

c y,z at boundary crossing
c ** particles which are not reflected are stopped at the boundary at this **
c ** point and deposit current at this x-position **
 $y(k)=y0+tx*v(k)$
 $z(k)=z0+tx*w(k)$

c4push
reflect=refl

c ** particle reflection according to the reflection rate "refl" **
c ** e.g., refl=0.8 -> ~20% particles reflected **
rabs=ran1(is)

c particles are reflected from stiff-wall x-boundary
c now particles reflected have new set of inward velocities, as if a new
c particle entered the box in place of the one which left the box
c ** this can cause numerical errors in a rare case in which a reflected **
c ** particle crosses at the same time one of the other boundaries (y or z); **
c ** such a particle has been already passed to a new processor in **
c ** "particle_passing" and its new location after a move with new velocity **

```
c ** components must fit the domain boundaries after the periodic conditions **
c ** have been applied; because of that a loop in label "20" is necessary - **
c ** this is a change compared with older version of this subroutine: note   **
c ** that the problem does not exist when reflection from stiff-wall boundary**
c ** is applied                                         **
c new Jacek
ntry = 0
u0=u(k)
v0=v(k)
w0=w(k)

if(rabs.gt.reflect) then
c      u(k)=-u(k)
c      ut=u(k)
      ut=u0
20      yt=y(k)
      zt=z(k)
      y0t=y0
      z0t=z0

ntry = ntry + 1
```

```
c new Jacek
c ** stiff-wall boundary reflection is applied if loop 20 does not succeed after **
c ** 1000 trials; this in particular takes care of cases in which a particle   **
c ** crosses domain x-boundaries at a very oblique angle, so that y or z position**
c ** at boundary crossing is too much outside the domain boundaries and a      **
c ** selection of loop 20 must tune up to minus original velocity to place    **
c ** particle in right domain                                         **
c4push    if (ntry.ge.1000) then
c4push reflection method with new velocity components selection turned off
c4push here because it lead to nonphysical accumulation of particles near
c4push boundaries, stiff-wall reflection from left boundary and particle
c4push leaking out of right boundary applied
if (ntry.ge.1) then
  u(k)=-u0
  v(k)= v0
  w(k)= w0
  goto 21
end if
```

18 r11 = ran1(is)
 if(r11.EQ.1.0) goto 18

 r1 = sqrt(-2.0*log(1.0-r11))
 if(sig*r1.ge.c) goto 18
 r2 = 2.0*pi*ran1(is)
 unew = sig*r1*cos(r2)
 vnew = sig*r1*sin(r2)

19 r33 = ran1(is)
 if(r33.EQ.1.0) goto 19

 r3 = sqrt(-2.0*log(1.0-r33))
 if(sig*r3.ge.c) goto 19
 r4 = 2.0*pi*ran1(is)
 wnew = sig*r3*cos(r4)

 u(k) = -sign(unew,ut)
 v(k) = vnew
 w(k) = wnew

```
21    yt=y(k)+(dt-tx)*v(k)
      zt=z(k)+(dt-tx)*w(k)
```

c apply the periodicity here and check the domain boundaries

```
per = sign(.5*(my-5.),yt-3.) + sign(.5*(my-5.),yt-my+2.)
yt = yt-per
y0t= y0t -per
```

```
per = sign(.5*(mz-5.),zt-3.) + sign(.5*(mz-5.),zt-mz+2.)
zt = zt-per
z0t= z0t -per
```

```
if((yt.lt.PBFrnt) .or. (yt.ge.PBRear) .or.
& (zt.lt.PBBot ) .or. (zt.ge.PBTop ) .or.
& (u(k)**2+v(k)**2+w(k)**2 .ge. c**2)) goto 20
```

```
x(k)=x(k)+(dt-tx)*u(k)
y(k)=yt
z(k)=zt
y0=y0t
z0=z0t
```

```

endif
go to 52

51 continue
rabs=2.0
c52 continue

c make particles which are out of the box (3,my-2)*(3,mz-2)
c periodic in transversal dimensions with period my-5 (mz-5)
c ** in 3D version particles that are out of the virtual box transversal   **
c ** boundaries are passed to processes according to the periodic boundary   **
c ** conditions; here only their proper y and z-positions in the new domain   **
c ** are calculated                                         **
per = sign(.5*(my-5.),y(k)-3.) + sign(.5*(my-5.),y(k)-my+2.)
y(k) = y(k)-per
y0  = y0 -per

per = sign(.5*(mz-5.),z(k)-3.) + sign(.5*(mz-5.),z(k)-mz+2.)
z(k) = z(k)-per
z0  = z0 -per

```

```

c split particles which cross cell boundaries and deposit currents
c ** Umeda's 2nd-order method **
cU1    call depositUM2(x(k),y(k),z(k),x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,
cU1    &                                q,DHDx,DHDy,DHDz)
52   call depositUM1(x(k),y(k),z(k),x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,
     &                                q,DHDx,DHDy,DHDz)

```

```

c particles (in left or right processors) which are outside virtual box
c x-boundaries (non-reflected particles) are eliminated and replaced by
c particles from the top of the stack
c4push    if (rabs.ge.refl) goto 53
          if (rabs.gt.reflect .and. xini.ge.PVLeft) goto 53
c checking kinetic energy lost
      eloss=eloss+0.5*mass*(u(k)**2+v(k)**2+w(k)**2)

```

```
x(k)=x(ipar)
y(k)=y(ipar)
z(k)=z(ipar)
u(k)=u(ipar)
v(k)=v(ipar)
w(k)=w(ipar)
ipar=ipar-1
k=k-1
```

```
53 if (k.lt.ipar) goto 50
```

```
return
end
```

```
c ****
```

```
subroutine xspli(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)  
dimension sm(-1:1,-1:1,-1:1)
```

```
if(ifix(x).ne.ifix(x0).and.((x-x0).ne.0.))go to 1
```

```
call yspli(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
return
```

```
1 x1=.5*(1+ifix(x)+ifix(x0))
```

```
y1=y0+(y-y0)*((x1-x0)/(x-x0))
```

```
z1=z0+(z-z0)*((x1-x0)/(x-x0))
```

```
call yspli(x,y,z,x1,y1,z1,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
call yspli(x1,y1,z1,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
return
```

```
end
```

```
C ****
```

```
subroutine ysplit(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)  
dimension sm(-1:1,-1:1,-1:1)
```

```
if(ifix(y).ne.ifix(y0).and.((y-y0).ne.0.))go to 1
```

```
call zsplit(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
return
```

```
1 y1=.5*(1+ifix(y)+ifix(y0))
```

```
z1=z0+(z-z0)*((y1-y0)/(y-y0))
```

```
x1=x0+(x-x0)*((y1-y0)/(y-y0))
```

```
call zsplit(x,y,z,x1,y1,z1,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
call zsplit(x1,y1,z1,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,  
& DHDx,DHDy,DHDz)
```

```
return
```

```
end
```

C ****

subroutine zssplit(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,
& DHDx,DHDy,DHDz)

dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)
dimension sm(-1:1,-1:1,-1:1)

if(ifix(z).ne.ifix(z0).and.((z-z0).ne.0.))go to 1

call deposit(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,
& DHDx,DHDy,DHDz)

return

1 z1=.5*(1+ifix(z)+ifix(z0))
x1=x0+(x-x0)*((z1-z0)/(z-z0))
y1=y0+(y-y0)*((z1-z0)/(z-z0))

call deposit(x,y,z,x1,y1,z1,dex,dey,dez,mFx,mFy,mFz,q,sm,
& DHDx,DHDy,DHDz)

call deposit(x1,y1,z1,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,
& DHDx,DHDy,DHDz)

return

end

c ****

subroutine deposit(x,y,z,x0,y0,z0,dex,dey,dez,mFx,mFy,mFz,q,sm,
& DHDx,DHDy,DHDz)

dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)
dimension sm(-1:1,-1:1,-1:1)

c cell indices of half-way point:

$$i = .5 * (x + x0) - DHDx$$

$$j = .5 * (y + y0) - DHDy$$

$$k = .5 * (z + z0) - DHDz$$

c displacements in cell of half-way point:

$$dx = .5 * (x + x0) - i - DHDx$$

$$dy = .5 * (y + y0) - j - DHDy$$

$$dz = .5 * (z + z0) - k - DHDz$$

c current elements:

$$qu = q * (x - x0)$$

$$qv = q * (y - y0)$$

$$qw = q * (z - z0)$$

$$delt = .08333333 * qu * (y - y0) * (z - z0)$$

```

c *** DEPOSIT CURRENT and SMOOTHING ***
c If one desires NO smoothing (risking the presence of alias-prone
c high harmonics), one can replace the loops by taking nx=ny=nz=0
c and boost the value of q by a factor 8.
c   do nz = -1,1
c   do ny = -1,1
c   do nx = -1,1
c   sd = sm(nx,ny,nz)*delt
c   su = sm(nx,ny,nz)*qu

```

c !!! NO SMOOTHING IS APPLIED HERE !!!

```

nx = 0
ny = 0
nz = 0
sd = delt
su = qu
dex(i+nx,j+1+ny,k+1+nz)= dex(i+nx,j+1+ny,k+1+nz)
&           -su*dy*dz      -sd
dex(i+nx,j+ny,k+1+nz) = dex(i+nx,j+ny,k+1+nz)
&           -su*(1.-dy)*dz    +sd

```

$$\begin{aligned}
 & \text{dex}(i+nx, j+1+ny, k+nz) = \text{dex}(i+nx, j+1+ny, k+nz) \\
 & \& -su^*dy^*(1.-dz) +sd \\
 & \text{dex}(i+nx, j+ny, k+nz) = \text{dex}(i+nx, j+ny, k+nz) \\
 & \& -su^*(1.-dy)^*(1.-dz)-sd
 \end{aligned}$$

$$\begin{aligned}
 c \quad & sv = sm(nx, ny, nz)^*qv \\
 & sv = qv \\
 & dey(i+1+nx, j+ny, k+1+nz) = dey(i+1+nx, j+ny, k+1+nz) \\
 & \& -sv^*dz^*dx -sd \\
 & dey(i+1+nx, j+ny, k+nz) = dey(i+1+nx, j+ny, k+nz) \\
 & \& -sv^*(1.-dz)^*dx +sd \\
 & dey(i+nx, j+ny, k+1+nz) = dey(i+nx, j+ny, k+1+nz) \\
 & \& -sv^*dz^*(1.-dx) +sd \\
 & dey(i+nx, j+ny, k+nz) = dey(i+nx, j+ny, k+nz) \\
 & \& -sv^*(1.-dz)^*(1.-dx)-sd
 \end{aligned}$$

$$\begin{aligned}
 c \quad & sw = sm(nx, ny, nz)^*qw \\
 & sw = qw \\
 & dez(i+1+nx, j+1+ny, k+nz) = dez(i+1+nx, j+1+ny, k+nz) \\
 & \& -sw^*dx^*dy -sd
 \end{aligned}$$

```

dez(i+nx,j+1+ny,k+nz) = dez(i+nx,j+1+ny,k+nz)
& -sw*(1.-dx)*dy +sd
dez(i+1+nx,j+ny,k+nz) = dez(i+1+nx,j+ny,k+nz)
& -sw*dx*(1.-dy) +sd
dez(i+nx,j+ny,k+nz) = dez(i+nx,j+ny,k+nz)
& -sw*(1.-dx)*(1.-dy)-sd
c   end do
c   end do
c   end do

return
end

```

c ****

subroutine depositUM1(x2,y2,z2,x1,y1,z1,dex,dey,dez,mFx,mFy,mFz,
& q,DHDx,DHDy,DHDz)

dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)

i1=x1 - DHDx

j1=y1 - DHDy

k1=z1 - DHDz

i2=x2 - DHDx

j2=y2 - DHDy

k2=z2 - DHDz

xr = min(min(i1*1.0,i2*1.0)+1.0,max(max(i1*1.0,i2*1.0),
& 0.5*(x1+x2)-DHDx))

yr = min(min(j1*1.0,j2*1.0)+1.0,max(max(j1*1.0,j2*1.0),
& 0.5*(y1+y2)-DHDy))

zr = min(min(k1*1.0,k2*1.0)+1.0,max(max(k1*1.0,k2*1.0),
& 0.5*(z1+z2)-DHDz))

```
c if (i1.eq.i2) then  
c   xr = 0.5*(x1+x2)-DHDx  
c else  
c   xr = max(i1,i2)  
c end if  
  
c if (j1.eq.j2) then  
c   yr = 0.5*(y1+y2)-DHDy  
c else  
c   yr = max(j1,j2)  
c end if  
  
c if (k1.eq.k2) then  
c   zr = 0.5*(z1+z2)-DHDz  
c else  
c   zr = max(k1,k2)  
c end if
```

qu1=q*(xr-x1+DHDx)
qv1=q*(yr-y1+DHDy)
qw1=q*(zr-z1+DHDz)

$qu2 = q * (x2 - xr - DHDx)$

$qv2 = q * (y2 - yr - DHdy)$

$qw2 = q * (z2 - zr - DHDz)$

$dx1 = 0.5 * (x1 + xr - DHDx) - i1$

$dy1 = 0.5 * (y1 + yr - DHdy) - j1$

$dz1 = 0.5 * (z1 + zr - DHDz) - k1$

$dx2 = 0.5 * (x2 + xr - DHDx) - i2$

$dy2 = 0.5 * (y2 + yr - DHdy) - j2$

$dz2 = 0.5 * (z2 + zr - DHDz) - k2$

c *** DEPOSIT CURRENT and SMOOTHING ***

c !!! NO SMOOTHING IS APPLIED HERE !!!

$dex(i1, j1+1, k1+1) = dex(i1, j1+1, k1+1) - qu1 * dy1 * dz1$

$dex(i1, j1, k1+1) = dex(i1, j1, k1+1) - qu1 * (1 - dy1) * dz1$

$dex(i1, j1+1, k1) = dex(i1, j1+1, k1) - qu1 * dy1 * (1 - dz1)$

$dex(i1, j1, k1) = dex(i1, j1, k1) - qu1 * (1 - dy1) * (1 - dz1)$

$$\begin{aligned} \text{dey}(i_1+1, j_1, k_1+1) &= \text{dey}(i_1+1, j_1, k_1+1) - qv1 * dx1 * dz1 \\ \text{dey}(i_1+1, j_1, k_1) &= \text{dey}(i_1+1, j_1, k_1) - qv1 * dx1 * (1.-dz1) \\ \text{dey}(i_1, j_1, k_1+1) &= \text{dey}(i_1, j_1, k_1+1) - qv1 * (1.-dx1) * dz1 \\ \text{dey}(i_1, j_1, k_1) &= \text{dey}(i_1, j_1, k_1) - qv1 * (1.-dx1) * (1.-dz1) \end{aligned}$$
$$\begin{aligned} \text{dez}(i_1+1, j_1+1, k_1) &= \text{dez}(i_1+1, j_1+1, k_1) - qw1 * dx1 * dy1 \\ \text{dez}(i_1, j_1+1, k_1) &= \text{dez}(i_1, j_1+1, k_1) - qw1 * (1.-dx1) * dy1 \\ \text{dez}(i_1+1, j_1, k_1) &= \text{dez}(i_1+1, j_1, k_1) - qw1 * dx1 * (1.-dy1) \\ \text{dez}(i_1, j_1, k_1) &= \text{dez}(i_1, j_1, k_1) - qw1 * (1.-dx1) * (1.-dy1) \end{aligned}$$
$$\begin{aligned} \text{dex}(i_2, j_2+1, k_2+1) &= \text{dex}(i_2, j_2+1, k_2+1) - qu2 * dy2 * dz2 \\ \text{dex}(i_2, j_2, k_2+1) &= \text{dex}(i_2, j_2, k_2+1) - qu2 * (1.-dy2) * dz2 \\ \text{dex}(i_2, j_2+1, k_2) &= \text{dex}(i_2, j_2+1, k_2) - qu2 * dy2 * (1.-dz2) \\ \text{dex}(i_2, j_2, k_2) &= \text{dex}(i_2, j_2, k_2) - qu2 * (1.-dy2) * (1.-dz2) \end{aligned}$$
$$\begin{aligned} \text{dey}(i_2+1, j_2, k_2+1) &= \text{dey}(i_2+1, j_2, k_2+1) - qv2 * dx2 * dz2 \\ \text{dey}(i_2+1, j_2, k_2) &= \text{dey}(i_2+1, j_2, k_2) - qv2 * dx2 * (1.-dz2) \\ \text{dey}(i_2, j_2, k_2+1) &= \text{dey}(i_2, j_2, k_2+1) - qv2 * (1.-dx2) * dz2 \\ \text{dey}(i_2, j_2, k_2) &= \text{dey}(i_2, j_2, k_2) - qv2 * (1.-dx2) * (1.-dz2) \end{aligned}$$

```

dez(i2+1,j2+1,k2)= dez(i2+1,j2+1,k2) - qw2*dx2*dy2
dez(i2,j2+1,k2) = dez(i2,j2+1,k2) - qw2*(1.-dx2)*dy2
dez(i2+1,j2,k2) = dez(i2+1,j2,k2) - qw2*dx2*(1.-dy2)
dez(i2,j2,k2)   = dez(i2,j2,k2)   - qw2*(1.-dx2)*(1.-dy2)

return
end
c ****
subroutine depositUM2(x2,y2,z2,x1,y1,z1,dex,dey,dez,mFx,mFy,mFz,
& q,DHDx,DHDy,DHDz)

dimension dex(mFx,mFy,mFz),dey(mFx,mFy,mFz),dez(mFx,mFy,mFz)

dimension wi1(-1:1),wj1(-1:1),wk1(-1:1)
dimension wi2(-1:1),wj2(-1:1),wk2(-1:1)

i1=nint(x1) - DHDx
j1=nint(y1) - DHDy
k1=nint(z1) - DHDz

```

```
i2=nint(x2) - DHDx  
j2=nint(y2) - DHDy  
k2=nint(z2) - DHDz
```

```
if (i1.eq.i2) then  
    xr = 0.5*(x1+x2)-DHDx  
else  
    xr = 0.5*(i1+i2)  
end if
```

```
if (j1.eq.j2) then  
    yr = 0.5*(y1+y2)-DHDy  
else  
    yr = 0.5*(j1+j2)  
end if
```

```
if (k1.eq.k2) then  
    zr = 0.5*(z1+z2)-DHDz  
else  
    zr = 0.5*(k1+k2)  
end if
```

$$qu1=q^*(xr-x1+DHDx)$$

$$qv1=q^*(yr-y1+DHDy)$$

$$qw1=q^*(zr-z1+DHDz)$$

$$qu2=q^*(x2-xr-DHDx)$$

$$qv2=q^*(y2-yr-DHDy)$$

$$qw2=q^*(z2-zr-DHDz)$$

$$dx1=0.5*(x1+xr-DHDx) - i1$$

$$dy1=0.5*(y1+yr-DHDy) - j1$$

$$dz1=0.5*(z1+zr-DHDz) - k1$$

$$dx2=0.5*(x2+xr-DHDx) - i2$$

$$dy2=0.5*(y2+yr-DHDy) - j2$$

$$dz2=0.5*(z2+zr-DHDz) - k2$$

$$wi1(-1)= 0.5*(0.5-dx1)*(0.5-dx1)$$

$$wi1(0) = 0.75-dx1*dx1$$

$$wi1(1) = 0.5*(0.5+dx1)*(0.5+dx1)$$

$$wj1(-1) = 0.5 * (0.5 - dy1) * (0.5 - dy1)$$

$$wj1(0) = 0.75 - dy1 * dy1$$

$$wj1(1) = 0.5 * (0.5 + dy1) * (0.5 + dy1)$$

$$wk1(-1) = 0.5 * (0.5 - dz1) * (0.5 - dz1)$$

$$wk1(0) = 0.75 - dz1 * dz1$$

$$wk1(1) = 0.5 * (0.5 + dz1) * (0.5 + dz1)$$

$$wi2(-1) = 0.5 * (0.5 - dx2) * (0.5 - dx2)$$

$$wi2(0) = 0.75 - dx2 * dx2$$

$$wi2(1) = 0.5 * (0.5 + dx2) * (0.5 + dx2)$$

$$wj2(-1) = 0.5 * (0.5 - dy2) * (0.5 - dy2)$$

$$wj2(0) = 0.75 - dy2 * dy2$$

$$wj2(1) = 0.5 * (0.5 + dy2) * (0.5 + dy2)$$

$$wk2(-1) = 0.5 * (0.5 - dz2) * (0.5 - dz2)$$

$$wk2(0) = 0.75 - dz2 * dz2$$

$$wk2(1) = 0.5 * (0.5 + dz2) * (0.5 + dz2)$$

```
qu1m = qu1*(0.5-dx1)
qu1p = qu1*(0.5+dx1)
qv1m = qv1*(0.5-dy1)
qv1p = qv1*(0.5+dy1)
qw1m = qw1*(0.5-dz1)
qw1p = qw1*(0.5+dz1)
```

```
qu2m = qu2*(0.5-dx2)
qu2p = qu2*(0.5+dx2)
qv2m = qv2*(0.5-dy2)
qv2p = qv2*(0.5+dy2)
qw2m = qw2*(0.5-dz2)
qw2p = qw2*(0.5+dz2)
```

c *** DEPOSIT CURRENT and SMOOTHING ***

c !!! NO SMOOTHING IS APPLIED HERE !!!

```
dex(i1-1,j1-1,k1-1)= dex(i1-1,j1-1,k1-1) -qu1m*wj1(-1)*wk1(-1)
dex(i1-1,j1,k1-1) = dex(i1-1,j1,k1-1) -qu1m*wj1(0)*wk1(-1)
```

$\text{dex}(i_1-1, j_1+1, k_1-1) = \text{dex}(i_1-1, j_1+1, k_1-1) - q_{1m} * w_{j1}(1) * w_{k1}(-1)$
 $\text{dex}(i_1-1, j_1-1, k_1) = \text{dex}(i_1-1, j_1-1, k_1) - q_{1m} * w_{j1}(-1) * w_{k1}(0)$
 $\text{dex}(i_1-1, j_1, k_1) = \text{dex}(i_1-1, j_1, k_1) - q_{1m} * w_{j1}(0) * w_{k1}(0)$
 $\text{dex}(i_1-1, j_1+1, k_1) = \text{dex}(i_1-1, j_1+1, k_1) - q_{1m} * w_{j1}(1) * w_{k1}(0)$
 $\text{dex}(i_1-1, j_1-1, k_1+1) = \text{dex}(i_1-1, j_1-1, k_1+1) - q_{1m} * w_{j1}(-1) * w_{k1}(1)$
 $\text{dex}(i_1-1, j_1, k_1+1) = \text{dex}(i_1-1, j_1, k_1+1) - q_{1m} * w_{j1}(0) * w_{k1}(1)$
 $\text{dex}(i_1-1, j_1+1, k_1+1) = \text{dex}(i_1-1, j_1+1, k_1+1) - q_{1m} * w_{j1}(1) * w_{k1}(1)$

$\text{dex}(i_1, j_1-1, k_1-1) = \text{dex}(i_1, j_1-1, k_1-1) - q_{1p} * w_{j1}(-1) * w_{k1}(-1)$
 $\text{dex}(i_1, j_1, k_1-1) = \text{dex}(i_1, j_1, k_1-1) - q_{1p} * w_{j1}(0) * w_{k1}(-1)$
 $\text{dex}(i_1, j_1+1, k_1-1) = \text{dex}(i_1, j_1+1, k_1-1) - q_{1p} * w_{j1}(1) * w_{k1}(-1)$
 $\text{dex}(i_1, j_1-1, k_1) = \text{dex}(i_1, j_1-1, k_1) - q_{1p} * w_{j1}(-1) * w_{k1}(0)$
 $\text{dex}(i_1, j_1, k_1) = \text{dex}(i_1, j_1, k_1) - q_{1p} * w_{j1}(0) * w_{k1}(0)$
 $\text{dex}(i_1, j_1+1, k_1) = \text{dex}(i_1, j_1+1, k_1) - q_{1p} * w_{j1}(1) * w_{k1}(0)$
 $\text{dex}(i_1, j_1-1, k_1+1) = \text{dex}(i_1, j_1-1, k_1+1) - q_{1p} * w_{j1}(-1) * w_{k1}(1)$
 $\text{dex}(i_1, j_1, k_1+1) = \text{dex}(i_1, j_1, k_1+1) - q_{1p} * w_{j1}(0) * w_{k1}(1)$
 $\text{dex}(i_1, j_1+1, k_1+1) = \text{dex}(i_1, j_1+1, k_1+1) - q_{1p} * w_{j1}(1) * w_{k1}(1)$

$\text{dey}(i_1-1, j_1-1, k_1-1) = \text{dey}(i_1-1, j_1-1, k_1-1) - q_{v1m} * w_{i1}(-1) * w_{k1}(-1)$
 $\text{dey}(i_1, j_1-1, k_1-1) = \text{dey}(i_1, j_1-1, k_1-1) - q_{v1m} * w_{i1}(0) * w_{k1}(-1)$
 $\text{dey}(i_1+1, j_1-1, k_1-1) = \text{dey}(i_1+1, j_1-1, k_1-1) - q_{v1m} * w_{i1}(1) * w_{k1}(-1)$

$\text{dey}(i_1-1, j_1-1, k_1) = \text{dey}(i_1-1, j_1-1, k_1) - qv1m * wi1(-1) * wk1(0)$
 $\text{dey}(i_1 , j_1-1, k_1) = \text{dey}(i_1 , j_1-1, k_1) - qv1m * wi1(0) * wk1(0)$
 $\text{dey}(i_1+1, j_1-1, k_1) = \text{dey}(i_1+1, j_1-1, k_1) - qv1m * wi1(1) * wk1(0)$
 $\text{dey}(i_1-1, j_1-1, k_1+1) = \text{dey}(i_1-1, j_1-1, k_1+1) - qv1m * wi1(-1) * wk1(1)$
 $\text{dey}(i_1 , j_1-1, k_1+1) = \text{dey}(i_1 , j_1-1, k_1+1) - qv1m * wi1(0) * wk1(1)$
 $\text{dey}(i_1+1, j_1-1, k_1+1) = \text{dey}(i_1+1, j_1-1, k_1+1) - qv1m * wi1(1) * wk1(1)$

$\text{dey}(i_1-1, j_1, k_1-1) = \text{dey}(i_1-1, j_1, k_1-1) - qv1p * wi1(-1) * wk1(-1)$
 $\text{dey}(i_1 , j_1, k_1-1) = \text{dey}(i_1 , j_1, k_1-1) - qv1p * wi1(0) * wk1(-1)$
 $\text{dey}(i_1+1, j_1, k_1-1) = \text{dey}(i_1+1, j_1, k_1-1) - qv1p * wi1(1) * wk1(-1)$
 $\text{dey}(i_1-1, j_1, k_1) = \text{dey}(i_1-1, j_1, k_1) - qv1p * wi1(-1) * wk1(0)$
 $\text{dey}(i_1 , j_1, k_1) = \text{dey}(i_1 , j_1, k_1) - qv1p * wi1(0) * wk1(0)$
 $\text{dey}(i_1+1, j_1, k_1) = \text{dey}(i_1+1, j_1, k_1) - qv1p * wi1(1) * wk1(0)$
 $\text{dey}(i_1-1, j_1, k_1+1) = \text{dey}(i_1-1, j_1, k_1+1) - qv1p * wi1(-1) * wk1(1)$
 $\text{dey}(i_1 , j_1, k_1+1) = \text{dey}(i_1 , j_1, k_1+1) - qv1p * wi1(0) * wk1(1)$
 $\text{dey}(i_1+1, j_1, k_1+1) = \text{dey}(i_1+1, j_1, k_1+1) - qv1p * wi1(1) * wk1(1)$

$\text{dez}(i_1-1, j_1-1, k_1-1) = \text{dez}(i_1-1, j_1-1, k_1-1) - qw1m * wi1(-1) * wj1(-1)$
 $\text{dez}(i_1 , j_1-1, k_1-1) = \text{dez}(i_1 , j_1-1, k_1-1) - qw1m * wi1(0) * wj1(-1)$
 $\text{dez}(i_1+1, j_1-1, k_1-1) = \text{dez}(i_1+1, j_1-1, k_1-1) - qw1m * wi1(1) * wj1(-1)$

$\text{dez}(i_1-1, j_1, k_1-1) = \text{dez}(i_1-1, j_1, k_1-1) - qw1m * wi1(-1) * wj1(0)$
 $\text{dez}(i_1, j_1, k_1-1) = \text{dez}(i_1, j_1, k_1-1) - qw1m * wi1(0) * wj1(0)$
 $\text{dez}(i_1+1, j_1, k_1-1) = \text{dez}(i_1+1, j_1, k_1-1) - qw1m * wi1(1) * wj1(0)$
 $\text{dez}(i_1-1, j_1+1, k_1-1) = \text{dez}(i_1-1, j_1+1, k_1-1) - qw1m * wi1(-1) * wj1(1)$
 $\text{dez}(i_1, j_1+1, k_1-1) = \text{dez}(i_1, j_1+1, k_1-1) - qw1m * wi1(0) * wj1(1)$
 $\text{dez}(i_1+1, j_1+1, k_1-1) = \text{dez}(i_1+1, j_1+1, k_1-1) - qw1m * wi1(1) * wj1(1)$

$\text{dez}(i_1-1, j_1-1, k_1) = \text{dez}(i_1-1, j_1-1, k_1) - qw1p * wi1(-1) * wj1(-1)$
 $\text{dez}(i_1, j_1-1, k_1) = \text{dez}(i_1, j_1-1, k_1) - qw1p * wi1(0) * wj1(-1)$
 $\text{dez}(i_1+1, j_1-1, k_1) = \text{dez}(i_1+1, j_1-1, k_1) - qw1p * wi1(1) * wj1(-1)$
 $\text{dez}(i_1-1, j_1, k_1) = \text{dez}(i_1-1, j_1, k_1) - qw1p * wi1(-1) * wj1(0)$
 $\text{dez}(i_1, j_1, k_1) = \text{dez}(i_1, j_1, k_1) - qw1p * wi1(0) * wj1(0)$
 $\text{dez}(i_1+1, j_1, k_1) = \text{dez}(i_1+1, j_1, k_1) - qw1p * wi1(1) * wj1(0)$
 $\text{dez}(i_1-1, j_1+1, k_1) = \text{dez}(i_1-1, j_1+1, k_1) - qw1p * wi1(-1) * wj1(1)$
 $\text{dez}(i_1, j_1+1, k_1) = \text{dez}(i_1, j_1+1, k_1) - qw1p * wi1(0) * wj1(1)$
 $\text{dez}(i_1+1, j_1+1, k_1) = \text{dez}(i_1+1, j_1+1, k_1) - qw1p * wi1(1) * wj1(1)$

$\text{dex}(i_2-1, j_2-1, k_2-1) = \text{dex}(i_2-1, j_2-1, k_2-1) - qu2m * wj2(-1) * wk2(-1)$
 $\text{dex}(i_2-1, j_2, k_2-1) = \text{dex}(i_2-1, j_2, k_2-1) - qu2m * wj2(0) * wk2(-1)$
 $\text{dex}(i_2-1, j_2+1, k_2-1) = \text{dex}(i_2-1, j_2+1, k_2-1) - qu2m * wj2(1) * wk2(-1)$

$$\begin{aligned} \text{dex}(i_2-1, j_2-1, k_2) &= \text{dex}(i_2-1, j_2-1, k_2) - qu_2m * wj_2(-1) * wk_2(0) \\ \text{dex}(i_2-1, j_2, k_2) &= \text{dex}(i_2-1, j_2, k_2) - qu_2m * wj_2(0) * wk_2(0) \\ \text{dex}(i_2-1, j_2+1, k_2) &= \text{dex}(i_2-1, j_2+1, k_2) - qu_2m * wj_2(1) * wk_2(0) \\ \text{dex}(i_2-1, j_2-1, k_2+1) &= \text{dex}(i_2-1, j_2-1, k_2+1) - qu_2m * wj_2(-1) * wk_2(1) \\ \text{dex}(i_2-1, j_2, k_2+1) &= \text{dex}(i_2-1, j_2, k_2+1) - qu_2m * wj_2(0) * wk_2(1) \\ \text{dex}(i_2-1, j_2+1, k_2+1) &= \text{dex}(i_2-1, j_2+1, k_2+1) - qu_2m * wj_2(1) * wk_2(1) \end{aligned}$$
$$\begin{aligned} \text{dex}(i_2, j_2-1, k_2-1) &= \text{dex}(i_2, j_2-1, k_2-1) - qu_2p * wj_2(-1) * wk_2(-1) \\ \text{dex}(i_2, j_2, k_2-1) &= \text{dex}(i_2, j_2, k_2-1) - qu_2p * wj_2(0) * wk_2(-1) \\ \text{dex}(i_2, j_2+1, k_2-1) &= \text{dex}(i_2, j_2+1, k_2-1) - qu_2p * wj_2(1) * wk_2(-1) \\ \text{dex}(i_2, j_2-1, k_2) &= \text{dex}(i_2, j_2-1, k_2) - qu_2p * wj_2(-1) * wk_2(0) \\ \text{dex}(i_2, j_2, k_2) &= \text{dex}(i_2, j_2, k_2) - qu_2p * wj_2(0) * wk_2(0) \\ \text{dex}(i_2, j_2+1, k_2) &= \text{dex}(i_2, j_2+1, k_2) - qu_2p * wj_2(1) * wk_2(0) \\ \text{dex}(i_2, j_2-1, k_2+1) &= \text{dex}(i_2, j_2-1, k_2+1) - qu_2p * wj_2(-1) * wk_2(1) \\ \text{dex}(i_2, j_2, k_2+1) &= \text{dex}(i_2, j_2, k_2+1) - qu_2p * wj_2(0) * wk_2(1) \\ \text{dex}(i_2, j_2+1, k_2+1) &= \text{dex}(i_2, j_2+1, k_2+1) - qu_2p * wj_2(1) * wk_2(1) \end{aligned}$$
$$\begin{aligned} \text{dey}(i_2-1, j_2-1, k_2-1) &= \text{dey}(i_2-1, j_2-1, k_2-1) - qv_2m * wi_2(-1) * wk_2(-1) \\ \text{dey}(i_2, j_2-1, k_2-1) &= \text{dey}(i_2, j_2-1, k_2-1) - qv_2m * wi_2(0) * wk_2(-1) \\ \text{dey}(i_2+1, j_2-1, k_2-1) &= \text{dey}(i_2+1, j_2-1, k_2-1) - qv_2m * wi_2(1) * wk_2(-1) \end{aligned}$$

$$\text{dey}(i_2-1, j_2-1, k_2) = \text{dey}(i_2-1, j_2-1, k_2) - qv2m * \text{wi2}(-1) * \text{wk2}(0)$$

$$\text{dey}(i_2 , j_2-1, k_2) = \text{dey}(i_2 , j_2-1, k_2) - qv2m * \text{wi2}(0) * \text{wk2}(0)$$

$$\text{dey}(i_2+1, j_2-1, k_2) = \text{dey}(i_2+1, j_2-1, k_2) - qv2m * \text{wi2}(1) * \text{wk2}(0)$$

$$\text{dey}(i_2-1, j_2-1, k_2+1) = \text{dey}(i_2-1, j_2-1, k_2+1) - qv2m * \text{wi2}(-1) * \text{wk2}(1)$$

$$\text{dey}(i_2 , j_2-1, k_2+1) = \text{dey}(i_2 , j_2-1, k_2+1) - qv2m * \text{wi2}(0) * \text{wk2}(1)$$

$$\text{dey}(i_2+1, j_2-1, k_2+1) = \text{dey}(i_2+1, j_2-1, k_2+1) - qv2m * \text{wi2}(1) * \text{wk2}(1)$$

$$\text{dey}(i_2-1, j_2, k_2-1) = \text{dey}(i_2-1, j_2, k_2-1) - qv2p * \text{wi2}(-1) * \text{wk2}(-1)$$

$$\text{dey}(i_2 , j_2, k_2-1) = \text{dey}(i_2 , j_2, k_2-1) - qv2p * \text{wi2}(0) * \text{wk2}(-1)$$

$$\text{dey}(i_2+1, j_2, k_2-1) = \text{dey}(i_2+1, j_2, k_2-1) - qv2p * \text{wi2}(1) * \text{wk2}(-1)$$

$$\text{dey}(i_2-1, j_2, k_2) = \text{dey}(i_2-1, j_2, k_2) - qv2p * \text{wi2}(-1) * \text{wk2}(0)$$

$$\text{dey}(i_2 , j_2, k_2) = \text{dey}(i_2 , j_2, k_2) - qv2p * \text{wi2}(0) * \text{wk2}(0)$$

$$\text{dey}(i_2+1, j_2, k_2) = \text{dey}(i_2+1, j_2, k_2) - qv2p * \text{wi2}(1) * \text{wk2}(0)$$

$$\text{dey}(i_2-1, j_2, k_2+1) = \text{dey}(i_2-1, j_2, k_2+1) - qv2p * \text{wi2}(-1) * \text{wk2}(1)$$

$$\text{dey}(i_2 , j_2, k_2+1) = \text{dey}(i_2 , j_2, k_2+1) - qv2p * \text{wi2}(0) * \text{wk2}(1)$$

$$\text{dey}(i_2+1, j_2, k_2+1) = \text{dey}(i_2+1, j_2, k_2+1) - qv2p * \text{wi2}(1) * \text{wk2}(1)$$

$$\text{dez}(i_2-1, j_2-1, k_2-1) = \text{dez}(i_2-1, j_2-1, k_2-1) - qw2m * \text{wi2}(-1) * \text{wj2}(-1)$$

$$\text{dez}(i_2 , j_2-1, k_2-1) = \text{dez}(i_2 , j_2-1, k_2-1) - qw2m * \text{wi2}(0) * \text{wj2}(-1)$$

$$\text{dez}(i_2+1, j_2-1, k_2-1) = \text{dez}(i_2+1, j_2-1, k_2-1) - qw2m * \text{wi2}(1) * \text{wj2}(-1)$$

```
dez(i2-1,j2 ,k2-1)= dez(i2-1,j2 ,k2-1) -qw2m*wi2(-1)*wj2(0)
dez(i2 ,j2 ,k2-1)= dez(i2 ,j2 ,k2-1) -qw2m*wi2(0)*wj2(0)
dez(i2+1,j2 ,k2-1)= dez(i2+1,j2 ,k2-1) -qw2m*wi2(1)*wj2(0)
dez(i2-1,j2+1,k2-1)= dez(i2-1,j2+1,k2-1) -qw2m*wi2(-1)*wj2(1)
dez(i2 ,j2+1,k2-1)= dez(i2 ,j2+1,k2-1) -qw2m*wi2(0)*wj2(1)
dez(i2+1,j2+1,k2-1)= dez(i2+1,j2+1,k2-1) -qw2m*wi2(1)*wj2(1)
```

```
dez(i2-1,j2-1,k2)= dez(i2-1,j2-1,k2) -qw2p*wi2(-1)*wj2(-1)
dez(i2 ,j2-1,k2)= dez(i2 ,j2-1,k2) -qw2p*wi2(0)*wj2(-1)
dez(i2+1,j2-1,k2)= dez(i2+1,j2-1,k2) -qw2p*wi2(1)*wj2(-1)
dez(i2-1,j2 ,k2)= dez(i2-1,j2 ,k2) -qw2p*wi2(-1)*wj2(0)
dez(i2 ,j2 ,k2)= dez(i2 ,j2 ,k2) -qw2p*wi2(0)*wj2(0)
dez(i2+1,j2 ,k2)= dez(i2+1,j2 ,k2) -qw2p*wi2(1)*wj2(0)
dez(i2-1,j2+1,k2)= dez(i2-1,j2+1,k2) -qw2p*wi2(-1)*wj2(1)
dez(i2 ,j2+1,k2)= dez(i2 ,j2+1,k2) -qw2p*wi2(0)*wj2(1)
dez(i2+1,j2+1,k2)= dez(i2+1,j2+1,k2) -qw2p*wi2(1)*wj2(1)
```

```
return
end
```